



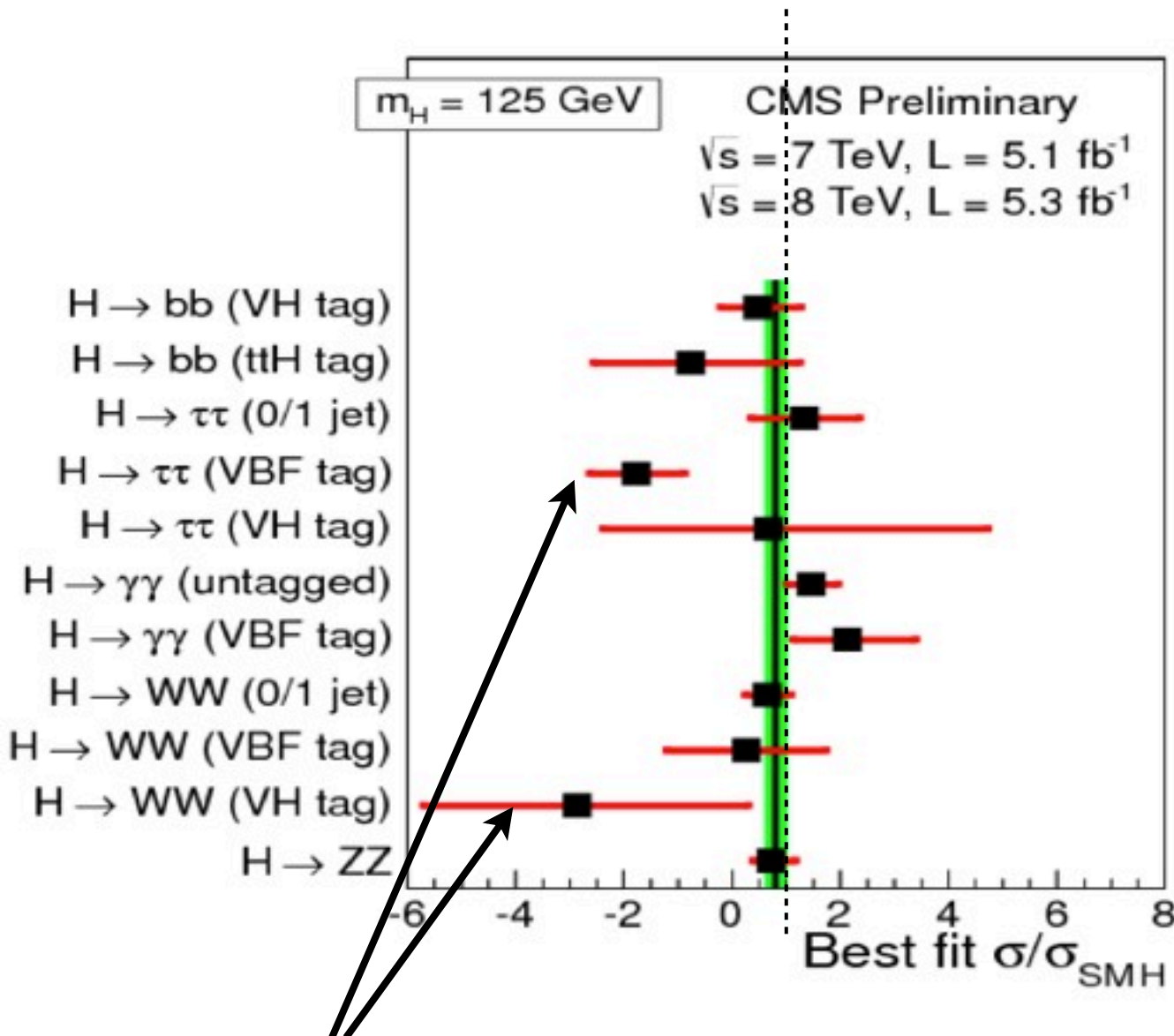
Increasing  $h \rightarrow \gamma\gamma$

Patrick Draper

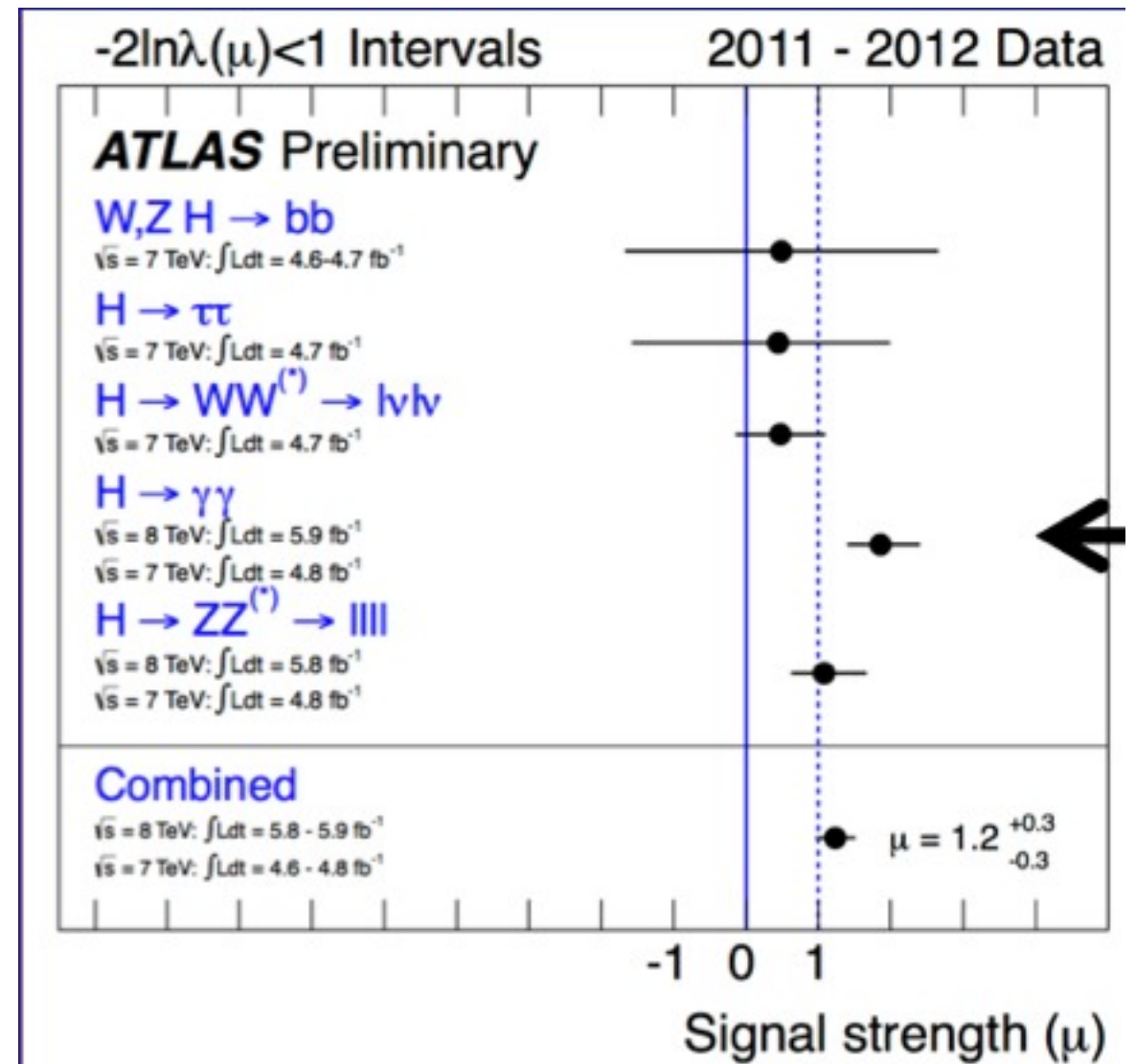
University of California, Santa Cruz

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# The Data



ignoring channels with likely downward fluctuations in background, CMS data within  $\sim 1\sigma$  of SM,  $\gamma\gamma$  rate  $1.56 \pm 0.43 \times \text{SM}$



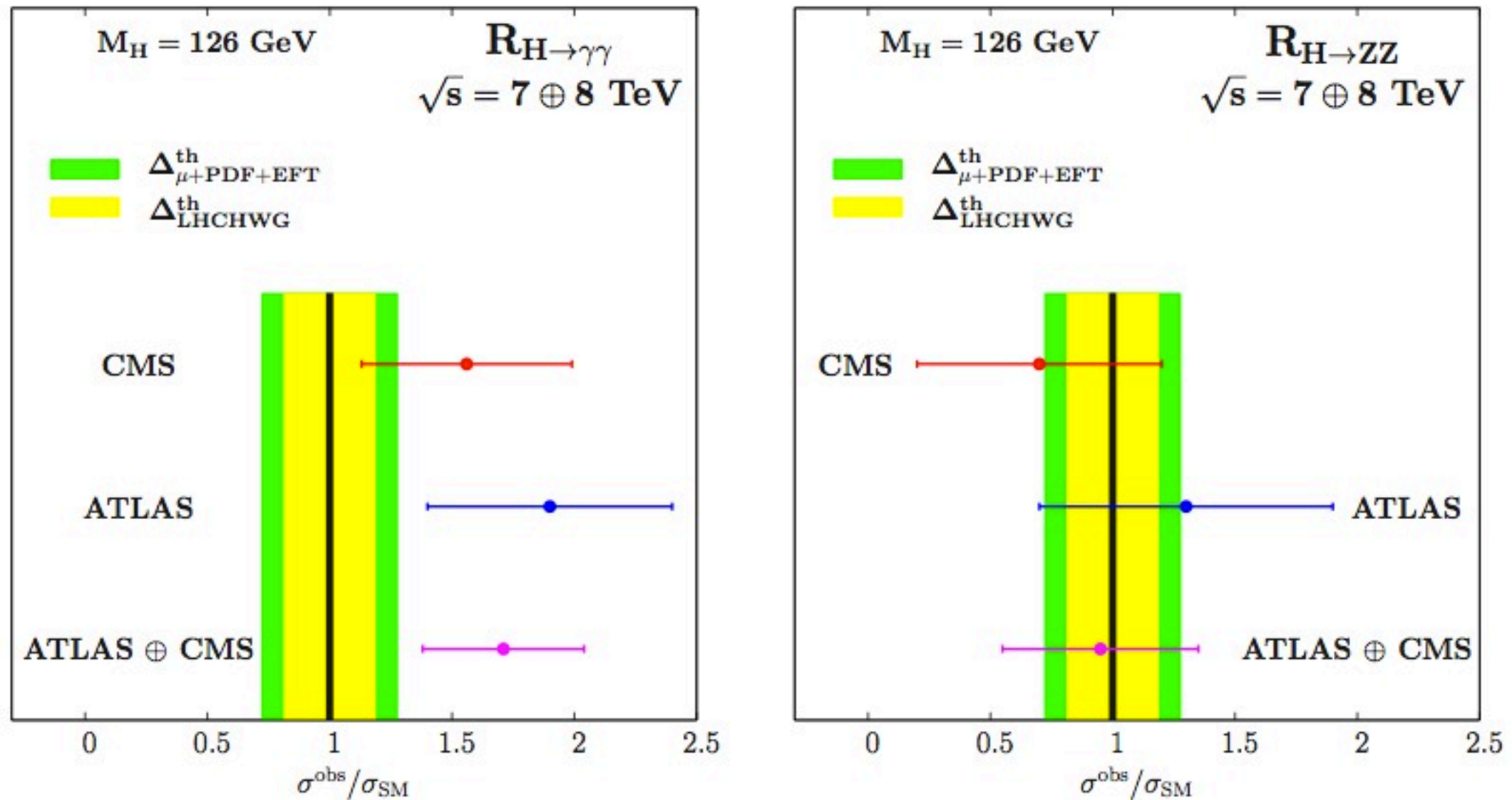
ATLAS  $ZZ^*$  within  $1\sigma$  of SM,  $\gamma\gamma$  rate  $1.9 \pm 0.5 \times \text{SM}$

Naive (uncorrelated, Gaussian) combination of  $\gamma\gamma$  rates:  $1.7 \pm 0.3$  (Moriond:  $2.1 \pm 0.5$ )

**What is causing this enormous excess?**

# Theory Uncertainty?

Baglio, Djouadi, Godbole 2012



Adding theory errors linearly & treating as bias rather than nuisance can bring combined  $\gamma\gamma$  fit to within  $1.3\sigma$  of SM

Broadly speaking, most other proposals for increasing the inclusive  $h \rightarrow \gamma\gamma$  rate use one/both of these mechanisms:

- **New sources of EWSB modify SM couplings that appear in the rate:**

- $h$  coupling to  $W > 2m_W^2/(246 \text{ GeV})$  (c/a effective models, Spencer's talk. also increases  $h \rightarrow WW$ ,  $Vh \rightarrow bb$ )
- $h$  coupling to  $b < \text{Sqrt}(2)m_b/(246 \text{ GeV})$  (decreases  $h \rightarrow bb$ , increases other rates)

- **New states contribute to production and/or decay:**

- **increase  $\sigma \times BR$  with new loops** (stops with small mixing, staus with large mixing,  $W'$ , vectorlike charged matter with negative coupling to Higgs portal, vectorlike colored matter with positive coupling to Higgs portal.....)
- **new final states that look like  $\gamma\gamma$**  (Brian's talk on degenerate Higgs families,  $h \rightarrow aa \rightarrow 4 \text{ boosted } \gamma$ )

The  $h^{++}$  model in Spencer's talk is an example that uses both mechanisms: direct increase of  $W$  coupling through new sources of EWSB, and  $h^{++}$  also appears in the  $h \rightarrow \gamma\gamma$  decay loop

In this talk I'll focus on second mechanism (new particles in the production/decay); review examples of:

- mixed staus (Carena, Gori, Shah, Wagner 2011)
- $h \rightarrow aa \rightarrow 4\gamma$  (PD and D. McKeen 2012)

Reason for these examples: mainly influence the  $h \rightarrow \gamma\gamma$  rate; everything else mostly SM-like

# Modifying $\sigma \times \text{BR}$ with new particles $X$ in loops

In the limit that  $m_h \ll 2m_X$   
and  $h$  is aligned with  $v$ ,

$$\begin{array}{ccc}
 \begin{array}{c} v \\ \times \\ \text{---} \circ \text{---} \end{array} & = & \begin{array}{c} h \\ \vdots \\ \text{---} \circ \text{---} \end{array} \times v \\
 \text{Vacuum Polarization} & & \text{hFF effective coupling}
 \end{array}$$

$$\begin{array}{c} \text{---} \circ \text{---} \end{array} \sim \Delta\beta \log m_X, \text{ so } \begin{array}{c} v \\ \times \\ \text{---} \circ \text{---} \end{array} = \frac{\Delta\beta}{16\pi^2} \frac{\partial \log m_X^2(v)}{\partial \log v}$$

where  $\Delta\beta$  is the shift in the EM or QCD  
beta function from integrating out  $X$

from multiple  $X$  thresholds, get

$$\frac{\Delta\beta}{16\pi^2} \frac{\partial \log \det \mathcal{M}_X^2(v)}{\partial \log v}$$

for the effective hFF, hGG couplings

$$\frac{\Delta\beta}{16\pi^2} \frac{\partial \log \det \mathcal{M}_X^2(v)}{\partial \log v}$$

SM: top gives negative hGG coupling ( $\Delta\beta < 0$ ) and negative hFF coupling ( $\Delta\beta < 0$ ),  
 W gives larger positive contribution to hFF ( $\Delta\beta > 0$ )

To enhance gluon fusion, easiest to have constructive interference with top loop, for example, stops with small mixing ( $\Delta\beta < 0$ )

To enhance  $\gamma\gamma$  width, easiest to have constructive interference with W loop

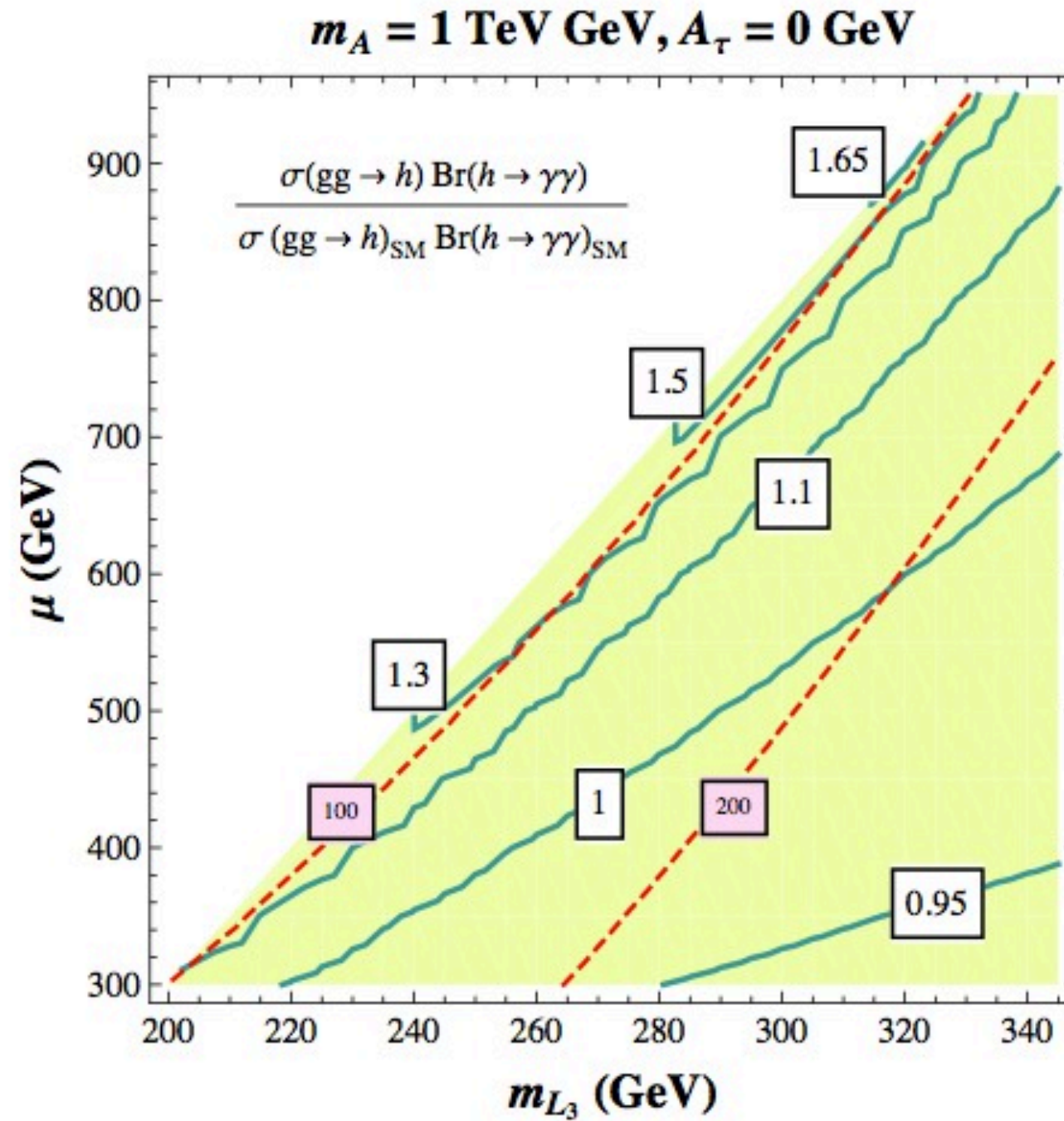
-W' ( $\Delta\beta > 0$ )

-scalar or fermionic matter where off-diagonal contribution of  $v$  to  $M$  dominates and  $\Delta\beta < 0$

Staus with large mixing is an example of the latter:

$$\mathcal{M}_{\tilde{\tau}}^2 = \begin{pmatrix} m_{L_3}^2 + m_{\tilde{\tau}}^2 + D_L & m_{\tau}(A_{\tau} - \mu \tan \beta) \\ m_{\tau}(A_{\tau} - \mu \tan \beta) & m_{e_3}^2 + m_{\tilde{\tau}}^2 + D_R \end{pmatrix} \approx \begin{pmatrix} m_{L_3}^2 & -y_{\tau}^{SM} \tan \beta (v\mu) \\ -y_{\tau}^{SM} \tan \beta (v\mu) & m_{e_3}^2 \end{pmatrix}$$





Carena, Gori,  
Shah, Wagner,  
Wang 2012

need large  $\mu \cdot \tan \beta$ , stau just above LEP bound

# A different possibility : new final states that look like $\gamma\gamma$

Mechanism proposed by Dobrescu, Landsberg, Matchev (2001):

$$\mathcal{L}_{\text{int}} = \frac{1}{\Lambda^2} (\partial^\mu a)^2 H^\dagger H - \frac{e^2}{4M} a F^{\mu\nu} \tilde{F}_{\mu\nu}$$

given  $m_h$ , have 3 basic parameters, which we take to be  $m_a, Br(h \rightarrow aa), M$

- $\Gamma(h \rightarrow aa) = 1.18 \text{ MeV} \left( \frac{m_h}{125 \text{ GeV}} \right)^3 \left( \frac{\Lambda}{\text{TeV}} \right)^{-4} \Rightarrow Br(h \rightarrow aa)$  easily non-negligible;
- $Br(a \rightarrow \gamma\gamma)$  can be non-negligible for light enough pseudoscalars;
- $m_a/m_h \ll 1$  (PNGB)  $\Rightarrow$  photon pairs are highly boosted and can look like single  $\gamma$ ;

$\Rightarrow 4\gamma$  final state becomes effective  $\gamma\gamma$  contribution

# Something different: new final states that look like $\gamma\gamma$

DLM studied @ the Tevatron. Can this be happening now at the LHC?

## Basic Requirements:

“photon jets” need to pass stringent  $\pi^0$  rejection (controlled by  $m_a$ )

satisfy Higgs rate @ LHC (controlled by  $m_a$  and  $\text{Br}(h \rightarrow aa)$ )

survive LEP search and low-energy constraints (controlled by  $m_a$  and  $M$ )

decays happen within detector radius (controlled by  $m_a$  and  $M$ )

We concluded:

- viable parameter space exists
- UV completions are baroque

PD and D. McKeen 2012

# Modifications to SM Branching Ratios

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$$\mathcal{B}(h \rightarrow \gamma\gamma)_{\text{eff}} = R_{\gamma\gamma} \times \mathcal{B}_{\text{SM}}(h \rightarrow \gamma\gamma),$$

$$\mathcal{B}(h \rightarrow f\bar{f}, VV) = R_{XX} \times \mathcal{B}_{\text{SM}}(h \rightarrow f\bar{f}, VV)$$

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$$R_{XX} = 1 - \mathcal{B}(h \rightarrow aa) \quad (\text{just from increasing total width})$$

Assuming 100%  $a \rightarrow \gamma\gamma$ ,

$$\mathcal{B}(h \rightarrow \gamma\gamma)_{\text{eff}} = \mathcal{B}(h \rightarrow \gamma\gamma) + \epsilon \times \mathcal{B}(h \rightarrow aa)$$

$\epsilon$  is the probability that  $4\gamma$  is misidentified as  $2\gamma$

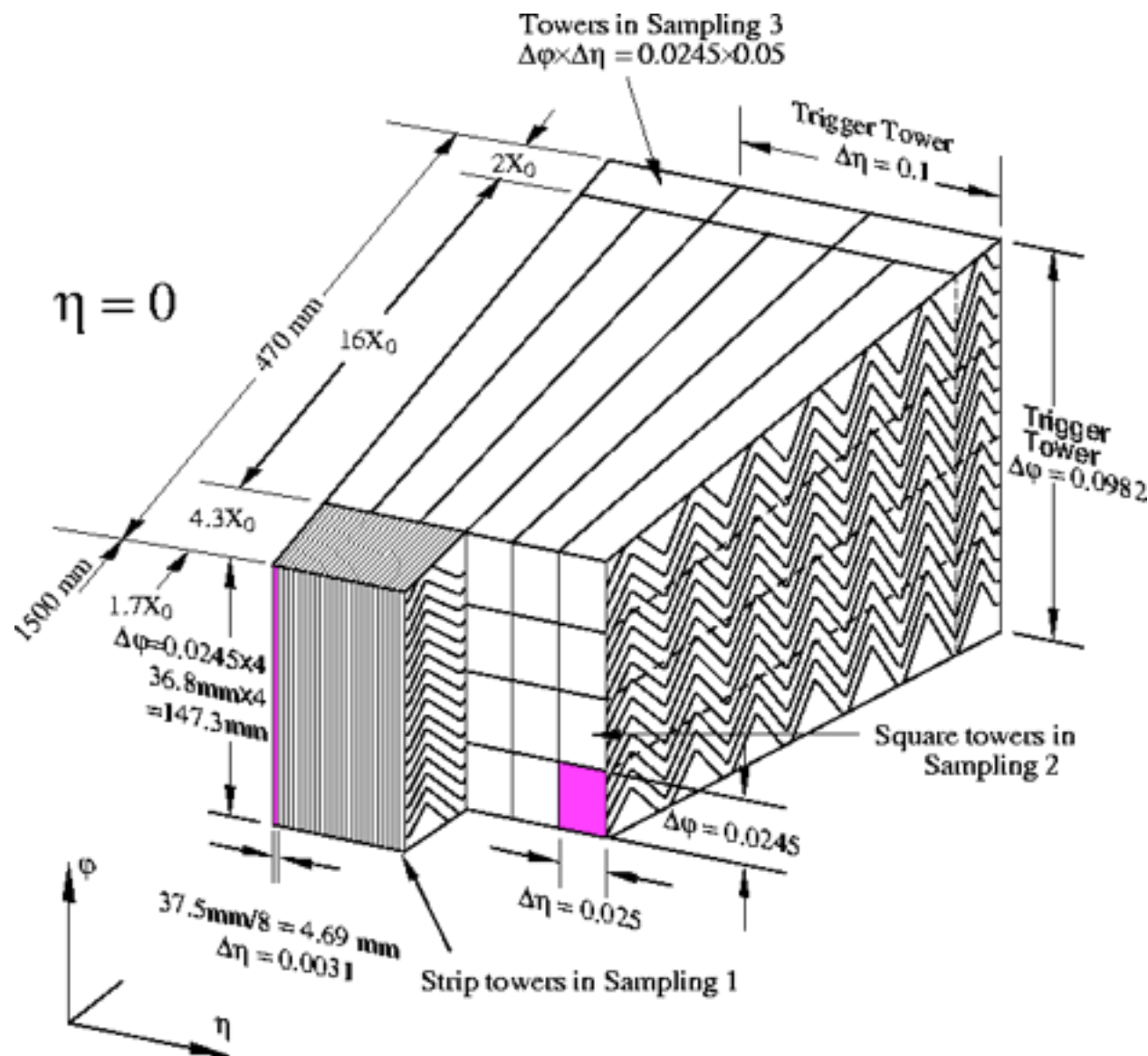
or

$$R_{\gamma\gamma} = 1 + \mathcal{B}(h \rightarrow aa) \left( \frac{\epsilon}{\mathcal{B}_{\text{SM}}(h \rightarrow \gamma\gamma)} - 1 \right).$$

To get enhancement at  $m_h = 125$  GeV,  $\epsilon \geq \mathcal{B}_{\text{SM}}(h \rightarrow \gamma\gamma) \simeq 0.0023$

# Estimating $\epsilon$

ATLAS efficiently vetoes isolated, boosted  $\pi^0 \rightarrow \gamma\gamma$  using first ECAL layer, which has finely-segmented strips in rapidity



Most sensitive discriminator:

$$w_{s3} \equiv \sqrt{\sum_i E_i (i - i_{\max})^2 / \sum_i E_i}$$

On unconverted photons, ATLAS uses a weakly  $\eta$ -dependent cut on  $w_{s3}$ , approx 0.66 for the most central strips in the barrel.

Avg val for true photons approx  $w_{s3} = 0.58$

# Estimating $\epsilon$

We simulate  $h \rightarrow aa \rightarrow 4\gamma$  events and attempt to mock up the more complicated cuts on ECAL variables with cuts on  $\Delta\eta_{\gamma\gamma}$ ,  $\Delta\phi_{\gamma\gamma}$

Opening angles controlled by  $m_a$

We find that requiring  $\Delta\eta_{\gamma\gamma} < 1/2 \times \Delta\eta_{\text{strip}}$  simulates the cut on  $w_{s3}$ . Also use  $\Delta\phi < \Delta\phi_{\text{strip}}$  although result is insensitive (much coarser in  $\varphi$ )

- Assume Gaussian profile for single photon energy deposit
- calibrate width to reproduce average true photon  $w_{s3}$
- find  $\Delta\eta$  for which two photons averaged over strip gives cut value for  $w_{s3}$



# Estimating $\epsilon$

**What about conversion events?** Conversions happen with an  $\eta$ - and  $E_T$ -dependent probability ranging from about 10% at low  $\eta$  to more than 50% at larger  $\eta$

Since we have twice as many photons, **many more events contain at least one conversion**

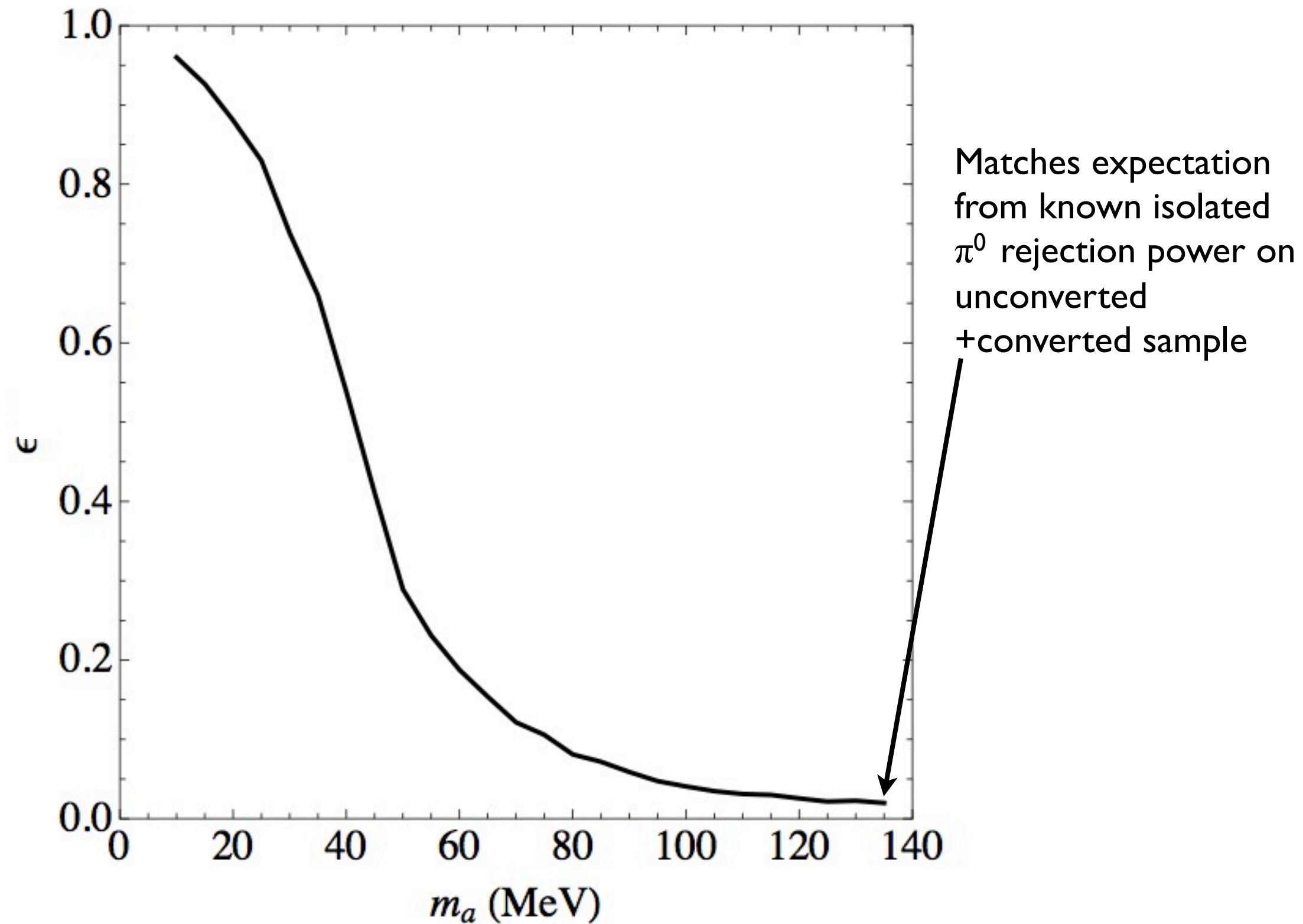
Might imagine these are vetoed:

- for case with  $\gamma e^+e^-$  in one cluster, mismatch between track  $p_T$  and energy in the calorimeter
- for case with  $2e^+e^-$  in one cluster, multiple conversion vertices

ATLAS currently does not veto on either, and relaxes cuts for conversion events since energy deposit spreads (a bit in  $\eta$ , and more in  $\varphi$  due to magnetic field)

We will make the approximation that the value of  $\epsilon$  relevant for  $4\gamma$  events containing conversions is the same as the value of  $\epsilon$  for the unconverted sample, and validate for pion

# Estimating $\epsilon$



Substantial contamination requires  $m_a$  less than tens of MeV



# CMS

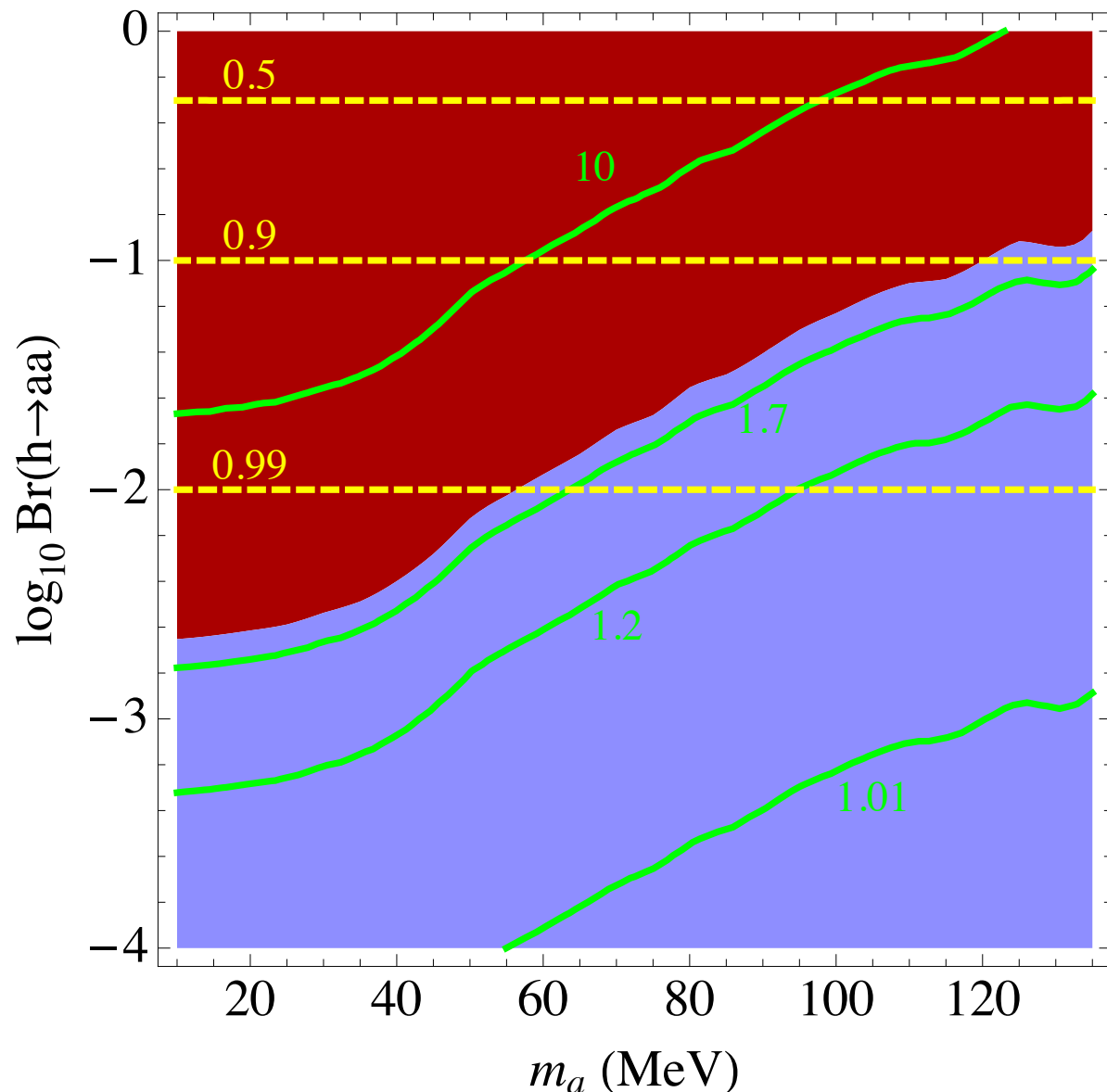
CMS does cut on the ratio of the calorimeter energy to the tracker  $p_T$  in order to isolate single photons

Also has 6x barrel strip size!

⇒ Expect a somewhat different  $\epsilon$  between the two experiments

# Predicted Rates at the LHC & Constraints

100%  $a \rightarrow \gamma\gamma$



Contours give net diphoton (solid green) and ZZ,WW,bb, $\tau\tau$  rates (dashed yellow) expected at the LHC relative to the SM rates, using previous estimation for  $\epsilon$ .

Constrain  $(m_a, \mathcal{B}(h \rightarrow aa))$   
parameter space with matched filter

$$\hat{R} = \sigma^2 t_i C_{ij}^{-1} d_j,$$

$$\sigma \equiv (t_i C_{ij}^{-1} t_j)^{-1/2}$$

Compute  $\hat{R}$  at each point, reject if  $R=1$   
is outside 90% CL

Favored points lie along green 1.7 contour;  
 $\chi^2$  shallow along contour, so:

any  $m_a$  ok,  
 $\text{Br}(h \rightarrow aa)$  between 0.1% and a few %.

# Direct Constraints

Constrain  $m_a$ , and  $M$  through  $\frac{e^2}{4M} a F^{\mu\nu} \tilde{F}_{\mu\nu}$  coupling

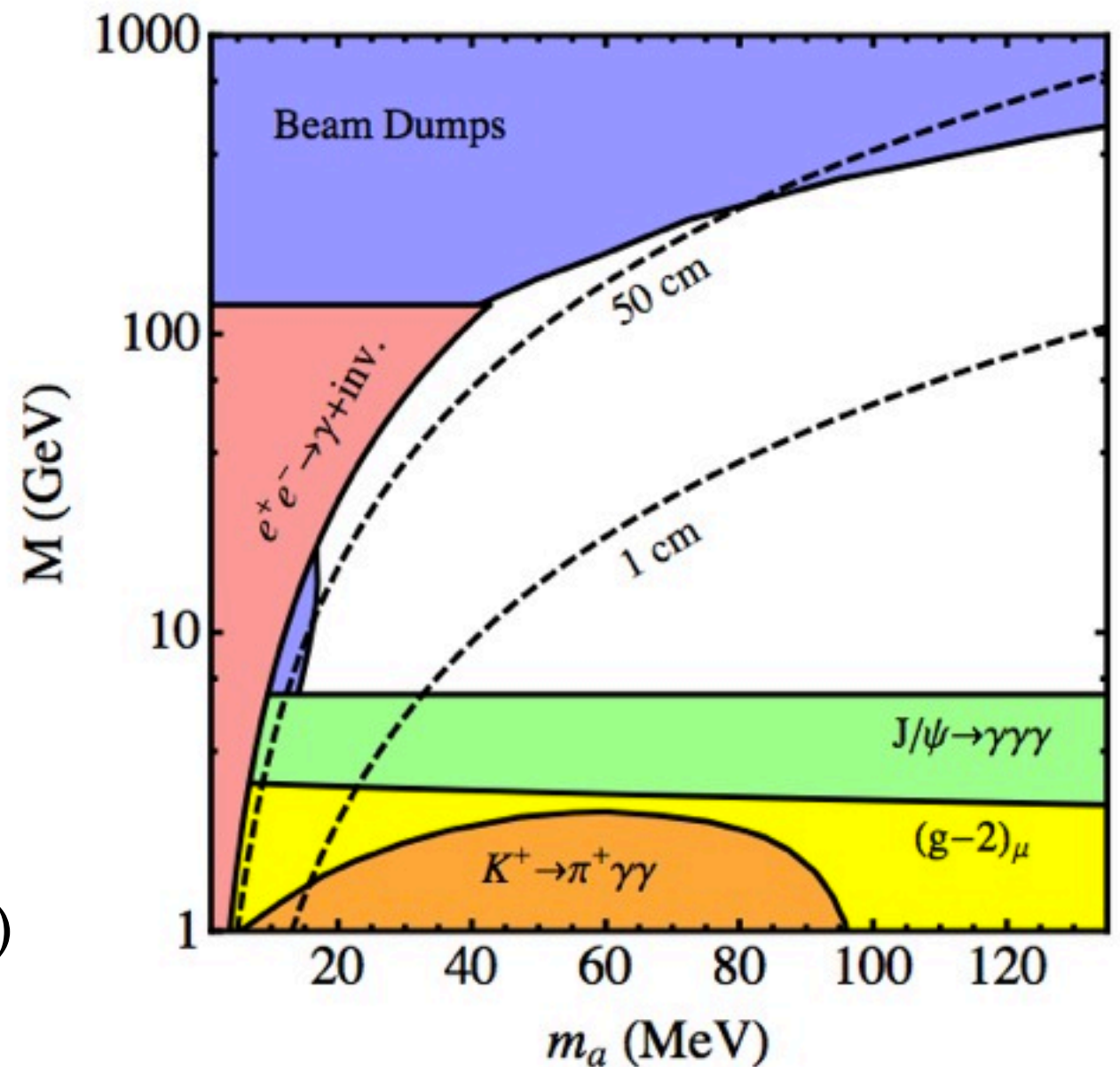
Constraints from Primakoff production in beam dump experiments: ok so long as  $a$ 's decay length is shorter than the target depth, or past detector

Similarly LEP search for  $e^+e^- \rightarrow \gamma + \text{inv}$  ok if  $a$  decays before the detector

These bounds coincide roughly with requirement that decay happens before detector at LHC

quarkonia can decay to  $\gamma a$  through an s-channel virtual photon  $\Rightarrow$  lower bound on  $M$

other constraints ( $g-2$ , flavor-violating meson decays) more sensitive to additional couplings of pseudoscalar to SM fermions



# Model Building Issues for $a F^{\mu\nu} \tilde{F}_{\mu\nu}$ coupling

- Decay length constraints require large  $a F^{\mu\nu} \tilde{F}_{\mu\nu}$  coupling. For a given decay length,

$$M = 9.3 \text{ GeV} \left( \frac{\gamma c \tau}{1 \text{ cm}} \right)^{1/2} \left( \frac{m_a}{40 \text{ MeV}} \right)^2 \times \left( \frac{m_h}{125 \text{ GeV}} \right)^{-1/2}$$

To get 90% of the decays before the ECAL ( $\sim 1\text{m}$ ), need  $< 1/2\text{m}$  decay length, so  $M$  less than about 200 GeV.

If  $M$  generated by integrating out heavy particles,  $M \sim 4\pi^2 m/q^2$

So those particles have masses below 10s of GeV: **must be SM fermions unless high multiplicity or large  $q$**

- NMSSM a possibility. However, light  $a$  in NMSSM totally ruled out in this mass range by multiple low-energy measurements    Andreas, Lebedev, Ramos-Sanchez, & Ringwald 2010

- Could work if light  $a$  couples only to the tau lepton.  
( $g-2$ ) $_{\tau}$  poorly known, only constrains  $M > 35 \text{ GeV}$ .

# Conclusions

In case  $h \rightarrow \gamma\gamma > \text{SM}$  persists, interesting to delineate possible mechanisms

Minimal SUSY  $\Rightarrow$  small- $\alpha$  scenario or light staus in decay loop; many other possibilities in the loop beyond minimal SUSY.

$h \rightarrow aa \rightarrow 4\gamma$  with  $\gamma$ s collected into two photon jets is another possibility

- Favors pseudoscalars between 10 MeV and pion mass and percent-level branching of  $h \rightarrow aa$
- Low scale of physics generating the  $a F^{\mu\nu} \tilde{F}_{\mu\nu}$  coupling suggests SM particles; constraints on these couplings make UV model building tricky

# Backup

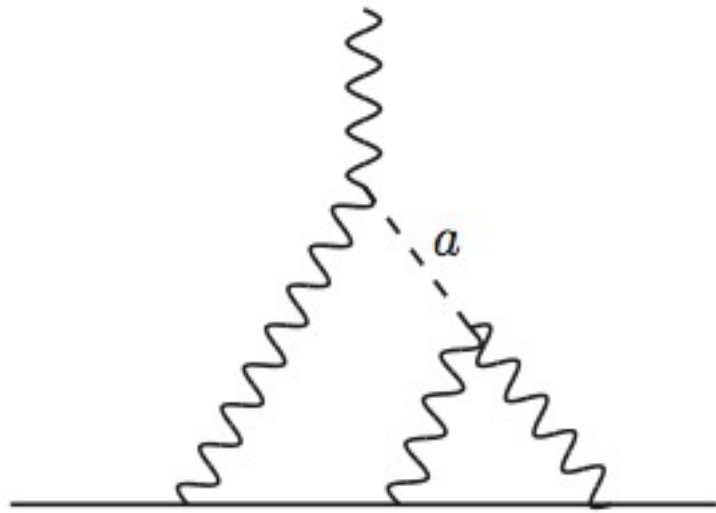


FIG. 3. A representative diagram of the leading contribution of the pseudoscalar,  $a$ , to  $(g - 2)_\mu$ .

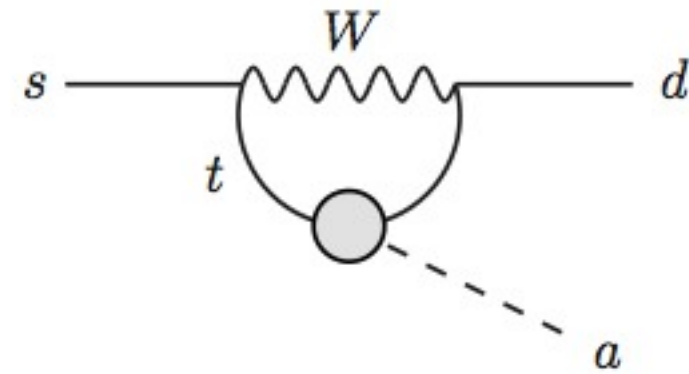


FIG. 4. Diagram that gives the leading contribution to  $s \rightarrow d + a$  from an effective interaction between  $a$  and the top quark.